

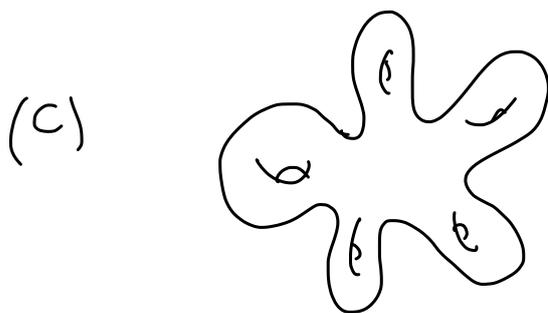
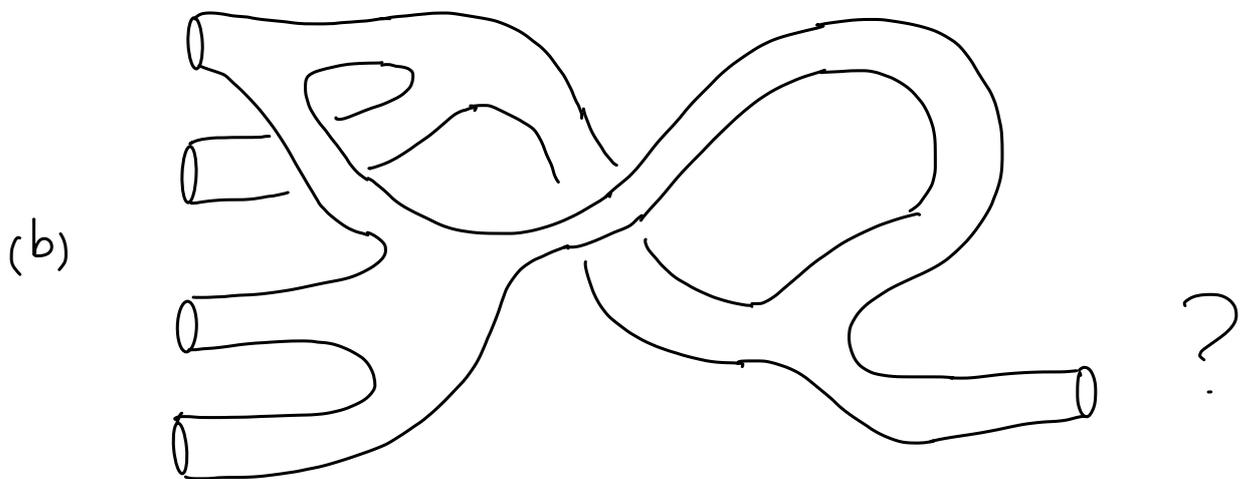
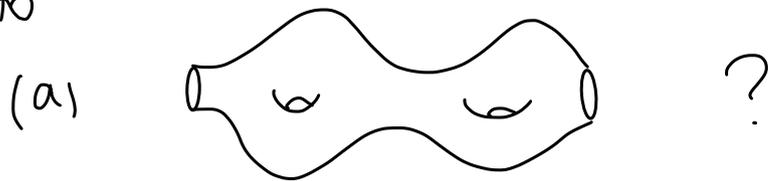
Then The functor

$$\left\{ \begin{array}{l} \text{TFT}_2^{\text{or}} \longrightarrow \text{cFrob} \\ \mathcal{Z} \longrightarrow \mathcal{Z}(S', \mathcal{V}) \end{array} \right.$$

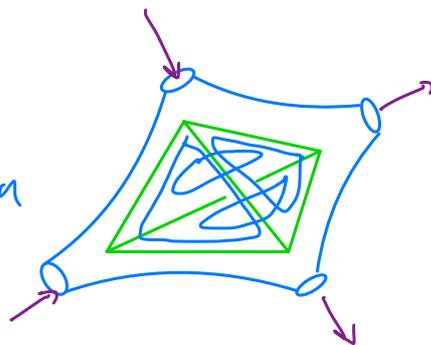
is an equivalence of groupoids.

① Given a Frobenius algebra A , what does \mathcal{Z}_A , the associated 2d oriented TFT, assign to

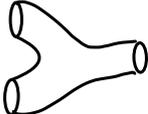
to



(d) "fattened" tetrahedron w/ punches at "corners"

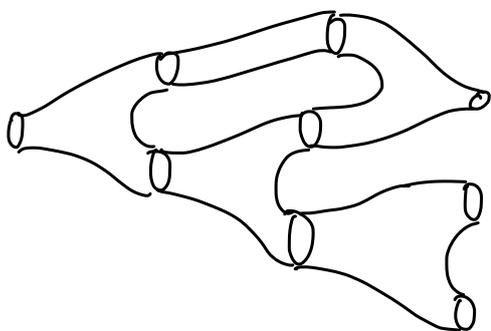


② Sufficiency of relations p. 73ff. Use

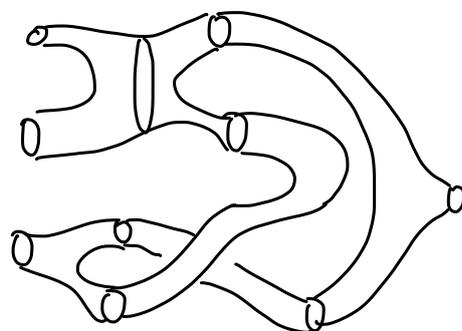
(1) moving  left

(2) eliminating twists

Use the definition of a Frobenius algebra / (1) & (2) step by step to explain why the images of



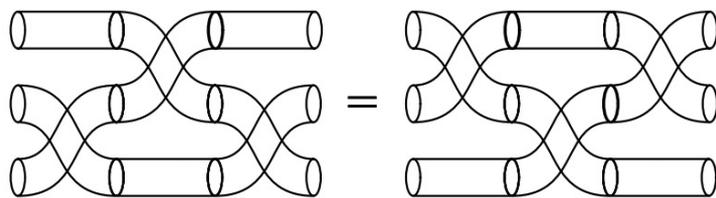
and



are well-defined

③ Normal form version for non-connected surfaces (p. 76)

·) Explain what this expresses:



·) Explain how to reduce to a composition of permutation bordisms and disjoint unions.

